Team Performance: Nature and Antecedents of Nonnormal Distributions

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Abstract. Team research typically assumes that team performance is normally distributed: teams cluster around average performance, performance variability is not substantial, and few teams inhabit the upper range of the distribution. Ironically, although most team research and methodological practices rely on the normality assumption, many theories actually imply non-normality (e.g., performance spirals, team composition, team learning, punctuated equilibrium). Accordingly, we investigated the nature and antecedents of team performance distributions by relying on 274 performance distributions including 200,825 teams (e.g., sports, politics, firefighters, information technology, customer service) and more than 500,000 workers. First, regarding their overall nature, only 11% of the distributions were normal, star teams are much more prevalent than predicted by normality, the power law with an exponential cutoff is the most dominant distribution among nonnormal distributions (i.e., 73%), and incremental differentiation (i.e., differential performance trajectories across teams) is the best explanation for the emergence of these distributions. Second, this conclusion remained unchanged after examining theory-based boundary conditions (i.e., tournament versus nontournament contexts, performance as aggregation of individual-level performance versus performance as a team-level construct, performance assessed with versus without a hard left-tail zero, and more versus less sample homogeneity). Third, we used the team learning curve literature as a conceptual framework to test hypotheses and found that authority differentiation and lower temporal stability are critical for characterizing both the performance curve and the performance distribution. Fourth, the team learning curve is a distribution of average performance trajectories and is best explained by the power law with an exponential cutoff. Fifth, we investigated the role of team learning curve stage in the formation of nonnormal distributions. The complex interaction between the growth curve and the learning curve indicates that team performance is highly influenced by processes that lead to major advantages for some teams that continue to build and would lead to the formation of nonnormal distributions.

Introduction

Team research relies on the assumption that team performance is normally distributed. If this is true, the majority of teams would cluster around the average level of team performance, performance variability is not substantial, and relatively few teams inhabit the upper range of the distribution. In contrast to this typical normality assumption, several theories currently used in teams research refer to mechanisms that lead to the formation of nonnormal distributions (e.g., performance spirals (Lindsay et al. 1995); team composition theories (Mathieu et al. 2014); team learning (Argote and Epple 1990)). In fact, foundational theories of team performance such as the input-mediator-output-input (IMOI) model (Ilgen et al. 2005) suggest that team performance is highly influenced by processes that lead to major advantages for some teams that continue to build and would lead to the formation of nonnormal distributions. An empirical finding challenging the normality assumption would indicate a need to understand the generative mechanisms that create these distributions that would lead to adjustments in several team theories. For example, theories regarding team learning (Luan et al. 2016) currently do not explain how the possibility of a large proportion of star teams would impact team decisions.
regarding the choice of external referents (Argote and Ingram 2000). To clarify, we use a prevalent definition for teams as “small groups of interdependent individuals who share responsibility for outcomes” (Hollenbeck et al. 2012, p. 82).

From a methodological standpoint, findings demonstrating the nonnormal nature of team performance distributions can change how past team research is interpreted and future team research is conducted. Specifically, under the assumption of normality, extreme data points are considered uncommon anomalies and can therefore be treated as undesirable errors. Thus, outliers (i.e., star teams) are often deleted or the entire data set is transformed to be able to better fit the normal distribution to comply with general linear model (GLM; ordinary least squares (OLS) regression, structural equation modeling) assumptions such as residual homogeneity (Aguinis et al. 2013, Becker et al. 2019). Thus, it is common practice to ignore (by deleting them) or minimize (by using “robust” approaches that transform and trim data) the impact that extreme observations have on substantive conclusions (Aguinis et al. 2013, Becker et al. 2019). In other words, “squeezing” heavy-tailed distributions through data transformations and manipulations to avoid violating statistical assumptions artificially reduces observed variability in team performance scores and consequently artificially changes the nature of the relation between team performance and other variables. Importantly, the focus of our paper is on the distribution level of analysis, not the team level of analysis, and we therefore address the distribution as a whole by focusing on generative mechanisms that lead to different distribution shapes.

### Theoretical Background, Research Questions, and Hypotheses

Ironically, much of the theory underlying empirical team research implies that team performance is not normally distributed but instead follows a heavy-tailed distribution. Next, we highlight how heavy-tailed distributions differ from one another and why team theory predicts these distributions.

### Generating Mechanisms of Team Performance Distributions

We focus on the seven distributions most commonly observed in natural phenomena, which are grouped into four categories (Sornette 2006, Joo et al. 2017): (a) exponential tail (i.e., exponential and power law with an exponential cutoff), (b) lognormal, (c) pure power law, and (d) symmetric or potentially symmetric (i.e., normal or Gaussian, Poisson, or Weibull). Each distribution category results from a distinct, unique, and specific generating mechanism. As a visual aid, Figure 1 includes representations of each of the seven distributions comprising the four categories. From a more technical standpoint, Figure 1 also includes the equations and parameters defining each distribution.

First, **incremental differentiation** is the generating mechanism that results in exponential tail distributions (i.e., exponential and power law with exponential cutoff) due to processes that lead to output increments. Under these distributions, star teams are common, but diminishing returns lead to smaller variability between star teams. With incremental differentiation, teams with higher performance trajectories are predicted to eventually rise to stardom, whereas those on lower trajectories do not. For example, teams that can consistently learn and adapt to changing conditions will continue to compound their advantages over other teams. These performance trajectories represent the linear increase in the average amount of output a team is able to produce in a specified time period, resulting in this specific type of distribution. Several team theories support the idea that incremental differentiation takes place such as team learning, which emphasizes the importance of speed of learning on performance (Edmondson et al. 2007). For instance, past research has addressed the rate of learning and its differential impact on team performance depending on factors such as the level of experience of team members (Pisano et al. 2001) and team stability (Reagans et al. 2005). Variance in team learning leads to teams with higher performance trajectories than others, which in turn would lead to the emergence of an exponential tail distribution.

Second, in **proportionate differentiation**, both the initial level of performance for a team and the performance trajectory of the team lead to the generation of lognormal distributions due to processes that lead to output loops. Under these types of distributions, star teams are common but variability between star teams is not as great as under other heavy-tailed distributions. With proportionate differentiation, some teams initially have higher levels of performance and continue with a high improvement rate, which results in a high proportion of star teams. Much like self-fueling performance spirals, teams that start off with a high level of performance can leverage their prior performance to continue to build on that success (Lindsley et al. 1995). For example, Banker et al. (1996) reported that teams starting with a high initial level of performance continued to improve over time at a much higher rate than others. Similarly, because of the existence of negative performance spirals (Lindsley et al. 1995), many teams set in motion processes that lead to a very large pile of poorly performing teams that in turn results in more star teams by comparison. Additionally, theories regarding team composition note that the makeup of a team can lead to differences in initial levels of performance and improvement in performance trajectories moving forward (Mathieu et al. 2013, Beck et al. 2012, p. 82).

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Moreover, due to variability in general ability factors that exist both at the individual level (Devine and Philips 2001, Bell 2007) and at the team level (Woolley et al. 2010, Riedl et al. 2021), we would expect that differences in team composition will lead to some teams starting at higher initial levels of performance and being able to learn faster (Aggarwal et al. 2019), which together lead to highly heterogenous levels of performance that would result in a lognormal distribution.

Third, self-organized criticality drives the emergence of pure power law distributions, such as the pareto distribution (Pareto 1897), because of processes that lead to unpredictable and extremely large output shocks. In the presence of self-organized criticality, some teams produce output until they reach a critical state, where minor events trigger performance improvements that range from small to very large. Under these distributions, star teams are common and variability even among star teams can be extremely large. This mechanism is likely present when critical states are achieved as a team accumulates components that are interconnected. For instance, if a team is concurrently working on multiple projects (i.e., components) that are closely related to each other (i.e., interconnected), a small breakthrough on one project can lead to breakthroughs on multiple projects simultaneously (Simonton 2003). This type of mechanism is part of the punctuated equilibrium model (Gersick 1988) given that teams are hypothesized to progress in a nonlinear fashion due to periods of stasis followed by sudden drastic changes (Chang et al. 2003). In addition, exogenous events may also trigger a shock that impacts learning trajectories. For instance, the global COVID-19 pandemic shifted teamwork to be completed remotely, and some teams

Figure 1. Visual Representation of Seven Types of Distributions Within Four Categories with Generating Mechanisms

Notes. Normal ($\mu=100, \sigma=1$), power law with an exponential cutoff ($\alpha=1.5, \lambda=0.37$), exponential ($\lambda=0.5$), lognormal ($\mu=4.5, \sigma=1.5$), Weibull ($\beta=1.8, \lambda=0.83$), Poisson ($\mu=2$), and pure power law ($\alpha=1.5$). In each of the panels, except the one containing the Poisson distribution, the $x$ axis represents values of a continuous variable, whereas the $y$ axis (“Density”) represents the likelihood of the continuous variable taking on a given value or range of values. In the panel containing the Poisson distribution, the $x$ axis represents values of a discrete variable, whereas the $y$ axis (“Mass”) represents the likelihood of the discrete variable taking on a given discrete value.
were able to capitalize on this shock, whereas others could not. In the presence of the generating mechanism of self-organized criticality, we would expect power law distributions to emerge.

Finally, homogenization drives the emergence of symmetric and potentially symmetric distributions (i.e., normal, Weibull, and Poisson) due to processes that reduce differences among teams’ output. Under these distributions, star teams would be uncommon because the majority would cluster around the average. For example, imitation learning or institutionalized norms dictated by a governing body (e.g., drafting rules in the National Football League) can reduce differences between teams over time. However, there seem to be few team theories that point to this mechanism as being dominant. For homogenization to occur, the initial starting point of teams, their performance trajectory, and the critical states discussed earlier would exert a smaller force in creating team performance distributions compared with the homogenization effect. In our study, we offer empirical evidence that homogenization seems to be the exception rather than the rule regarding the generation of team performance distributions.

As mentioned earlier, the heavy-tailed distributions summarized in Figure 1 are uniquely associated with specific mechanisms that are responsible for the emergence of each category type (Mitzenmacher 2004, Kim and Yum 2008, Andriani and McKelvey 2009, Clauset et al. 2009, Amitrano 2012, Joo et al. 2017, Aguinis et al. 2018). For example, regarding proportionate differentiation, there is a critical role of the initial team performance value (Banerjee and Yakovenko 2010), whereas incremental differentiation generates heavy-tailed distributions where the initial value of performance is unimportant in determining the proportion of teams that rise to stardom level. Additionally, although both proportionate and incremental differentiation generate heavy-tailed distributions through differentiation in team performance trajectories, incremental differentiation recognizes diminishing returns that exist as teams continue to improve their performance. Thus, the presence of a specific distribution shape provides evidence that the associated generative mechanism is the dominant one. However, these generative mechanisms do not necessarily operate in isolation. But, because of their distinct nature, a dominant mechanism overrides the impact of others, leading to the emergence of a specific distribution shape. In sum, multiple mechanisms may exist simultaneously to influence the formation of the team performance distribution shape, but it is possible to identify the most dominant empirically (Clauset et al. 2009, Joo et al. 2017).

It is useful to understand how different structural characteristics can potentially impact the emergence of the varying distributions based on generative mechanisms through an illustration based on team learning. If, for instance, an environment exists where teams can easily learn from one another, we would likely expect homogenization to impact the shape of the distribution. With few constraints impacting a team’s external learning behavior, teams would naturally replicate the effective processes and behaviors of the successful teams around them leading to a clustering of teams around an average score—a normal distribution. In contrast, other structural constraints such as the existence of patents or copyrights that limit the access of external learning to other teams are more likely to lead to heavy-tailed distributions. For example, if a team is able to innovate a new process or technology that radically changes an industry while also being protected by a patent, we would expect a pure power law distribution to emerge due to the mechanism of self-organized criticality. Likewise, we would expect another type of heavy-tailed distributions (i.e., lognormal) in environments where external learning is resource intensive, as teams that have the resources necessary to engage in external learning would experience the feedback loop theorized in proportionate differentiation. Essentially, teams that start with adequate resources available to engage in external learning would be able to improve performance that would provide them with access to more resources to engage in further external learning behaviors, and so on.

Given the aforementioned considerations, our first goal is to assess empirically which distributions emerge as dominant across a broad range of teams and context types. Specifically, is team performance overall characterized by a normal or a heavy-tailed distribution? Moreover, going beyond a simple normal versus nonnormal characterization, is there a best-fitting distribution that arises as dominant for describing team performance? In short, we pose the following question.

**Research Question 1. Which distribution types best describe the overall nature of team performance?**

**Theory-Based Boundary Conditions for the Shape of Team Performance Distributions**

Even if team performance is overall not normally distributed, there is a need to examine potential boundary conditions (Busse et al. 2017). Next, we consider three potential boundary conditions specifically derived from existing team theory.

**Tournament-Like Environments.** Although teams generally operate with some level of competition with others, there are certain situations where collaboration between teams is extremely low. This situation is typical in the context of winner-take-all tournaments, where opportunities for collaboration can be limited. However, when teams are not in tournament-like conditions, they often function in a context where between-team
collaboration can be high (Le Roy and Fernandez 2015). It is possible that the competitive nature of the team context may serve as a condition that dictates the generative mechanisms present. Specifically, in situations where team competition is low, homogenization may actually be the dominant generative mechanism as teams are able to work more collaboratively, leading to more normal distributions. If, however, teams are in a competitive environment, factors such as the starting level of performance for the teams may create a heavy-tailed distribution due to the proportionate differentiation mechanism. These contexts rely heavily on a ranking of teams to determine a “winner,” which puts teams in a dichotomous choice between winning (and others losing) or losing (and others winning) (Sundaresan and Zhang 2012). Because of this, we believe that the competitive environment where teams function may serve as a boundary condition for the existence of heavy-tailed performance distributions. Thus, we ask the following research question.

Research Question 2. Are heavy-tailed team performance distributions prevalent regardless of whether teams exist in a tournament-like environment?

Performance Aggregation. Based on the taxonomy of Steiner (1972), there are multiple ways to consider how team tasks are structured, which may also serve as a boundary condition for the team performance distribution shape based on the generative mechanisms present. Specifically, tasks can be additive (i.e., performance is the sum of individual performance), conjunctive (i.e., performance is constrained by the least competent member of the group), disjunctive (i.e., performance depends on the most competent member of the group), or complementary (i.e., performance is determined through the interactions of teams to complete the task). These situations can also be understood as team performance conceptualized and measured as an aggregation of individual-level performance (e.g., additive tasks) or as a team-level construct (e.g., complementary tasks). A question then is whether these two different conceptualizations may serve as a boundary condition. Although situations characterized by an aggregation of individual-level data could result in normal distributions due to the presence of homogenization that occurs when averaging out the performance of individuals on a team, there is also the possibility that individual stars may also drive the formation of heavy-tailed team distributions given their prevalence across teams (Aguinis and O’Boyle 2014). Thus, we ask the following.

Research Question 3. Are heavy-tailed distributions prevalent regardless of whether team performance is an aggregation of individual-level performance or a team-level construct?

Performance Constrained by a Hard Left-Tail Zero (i.e., Floor Effect). The presence of a hard left-tail of zero when assessing performance may also be a boundary condition of the shape of the performance distribution. In these situations, homogenization may exert an additional influence over the shape of the team performance distribution. In essence, the majority of teams might cluster around the average and very few teams would be able to inhabit the tails of the distribution. We therefore ask the following.

Research Question 4. Are heavy-tailed team performance distributions prevalent regardless of whether team performance is constrained by a hard left-tail zero?

Next, going beyond our examination of (a) the overall pervasiveness of different types of team performance distributions (i.e., Research Question 1) and (b) possible boundary conditions (i.e., Research Questions 2–4), we investigate structural characteristics of teams hypothesized to covary with the heaviness of the distributions’ tails (i.e., relative proportion of star teams). In other words, we examine theory-based reasons why some team performance distributions may include greater performance variability and a greater proportion of star teams compared with others.

Structural Characteristics of Teams as Predictors of Heaviness of Distributions’ Tails

We used the team learning curve literature as an overarching conceptual framework to examine structural characteristics of teams hypothesized to predict the heaviness of the distributions’ tails (i.e., heavier tails include a greater proportion of star teams). This is a useful theoretical framework because it focuses on the impact of team learning rate on outcomes (Edmondson et al. 2007). Specifically, differences in learning rates across teams can lead to extreme performance differences and therefore help us understand the emergence of different distribution types (Bell et al. 2012). In fact, the recursive nature of team learning, which is based on incremental improvements in team performance, is directly related to incremental differentiation as a mechanism that generates heavier tails (Knapp 2010). Additionally, models of team learning recognize the impact of the structure of the teams in influencing team performance (Knapp 2010, Bell et al. 2012).

To accomplish our goal of identifying key structural characteristics within a team learning curve framework, we reviewed the literature on team typologies (Cohen and Bailey 1997, Hollenbeck et al. 2012, Foster et al. 2015). In their review, Hollenbeck et al. (2012) described the three main characteristics of teams that have played a prominent role in the creation of the various classifications: authority differentiation, temporal stability, and skill differentiation. This is a particularly relevant and appropriate taxonomy because
each of the three characteristics is an integral part of the team learning process and therefore consistent with our use of team learning curve research as an overarching conceptual framework (Kane et al. 2005, Greer et al. 2011, Ren and Argote 2011). Given team learning curve theorizing, incremental differentiation implies that the performance trajectories differ such that some teams linearly improve their performance at a greater rate than others. Thus, it is the differential trajectories of performance across teams that lead to the generation of large variability and heavy tails. We expect the structural characteristics in team contexts to play an important role in the extent to which those trajectories lead to large variability and a greater proportion of star teams, as described next.

**Authority Differentiation.** Authority differentiation relates to the centrality of decision-making power within a team (Hollenbeck et al. 2012). Contexts that are low in authority differentiation require teams without a single leader with final authority in decision making; rather, authority is spread out to multiple team members. An example of this type of team context are labor management committees, for which decisions are only made after achieving a unanimous vote of team members (Romme 2004). At the opposite end of the spectrum, contexts high in authority differentiation include teams with a single member who wields control over decision making. Research on team learning curves suggests that differential rates of team learning take place based on how well teams are managed (Edmondson et al. 2007). Also, strong leadership on teams can enhance coordination and can amplify the advantages that some teams have over others (Greer et al. 2018). Because the leader is tasked with making strategic decisions for the team, the rate of team learning and the performance trajectory should be greatly impacted by the decisions of this single individual. Therefore, when a single star performer in terms of both task and team functions is on the team (Volmer and Sonnenstag 2011), team performance is positively impacted. As such, when authority differentiation is high, teams that learn to use these star performers in leadership roles are likely to show higher performance trajectories.

**Hypothesis 1.** Greater authority differentiation is associated with greater team performance variability and distributions with a greater proportion of star teams.

**Temporal Stability.** Temporal stability refers to the stability of teams over time, both in the short term (e.g., team membership changes during the course of a single project) and in the long term (e.g., team stability over the course of many projects; Hollenbeck et al. 2012). In team contexts characterized by high levels of temporal stability, team membership remains fairly constant over time. For example, at the National Aeronautics and Space Administration (NASA), the core engineering team remained largely intact over the course of several of the Apollo missions (Fries 1992). In contrast, construction crews are low in temporal stability because many workers rotate on and off projects (Baiden et al. 2006). Although teams that stay together longer typically demonstrate higher average performance (Gibson and Gibbs 2006), research has not yet addressed the impact of temporal stability on the variability of team performance. The external team learning literature (Bresman 2010) offers insights regarding this issue. Specifically, the rate of team learning and performance can be negatively impacted by frequent changes in team membership (Kane et al. 2005, Edmondson et al. 2007). However, the negative impact on learning and performance can often be mitigated through a number of means (e.g., incoming member knowledge; Kane et al. 2005). Accordingly, lower levels of team stability (i.e., more frequent team member turnover) offer greater opportunities for teams to generate varying levels of learning and performance. In addition, low temporal stability has a negative impact on learning and subsequent performance (Reagans et al. 2005). This is especially true for learning that takes place externally to a team. When teams are higher in temporal stability, they use time and resources to learn from the successes and mistakes of other teams (Bresman 2010), a likely situation in contexts where teams have routinized their efforts due to spending longer periods of time together (Katz 1982). On the other hand, teams in contexts characterized by low temporal stability also have avenues through which they can effectively learn from other teams even when faced with the challenges of shorter team tenures (Vashdi et al. 2013), but not all teams will effectively pursue those avenues, leading to differential performance trajectories over time. It is the increase in variability of team performance that we expect will lead to a greater proportion of star teams in the performance distribution.

**Hypothesis 2.** Lower temporal stability is associated with greater team performance variability and distributions with a greater proportion of star teams.

**Skill Differentiation.** Skill differentiation refers to the substitutability of individuals within a team based on their learned skills and other personal characteristics (Hollenbeck et al. 2012). For example, hospital operating teams are high in skill differentiation because surgeons, anesthesiologists, and nurses bring unique skills that they have learned to help the team function as a whole (Edmondson et al. 2001). In contrast, accounting teams are comprised of individuals who have learned similar skills and therefore work in a context that is low in skill differentiation. We posit
that contexts characterized by high skill differentiation are likely to result in distributions with large variability and a greater proportion of star teams than those characterized by low skill differentiation. Specifically, specialization of individual members of teams can lead to performance enhancements due to a reduction in cognitive load, an increase in the available knowledge for a team, and a reduction of redundancies that can hamper performance (Hollingshead 1998; Bell et al. 2012). Thus, we offer the following hypothesis.

**Hypothesis 3.** Greater skill differentiation is associated with greater team performance variability and distributions with a greater proportion of star teams.

Finally, because little evidence exists that suggest which of these characteristics would be most important, we also investigated the relative importance of each and offer the following research question.

**Research Question 5.** Are team performance variability and the proportion of star teams in a distribution more strongly associated with authority differentiation, temporal stability, or skill differentiation?

## Method

### Data and Measures

**Sample.** Answering our five research questions and testing our three hypotheses requires large data sets because our level of analysis is not the team, but the team distribution (i.e., samples of teams). Therefore, we first identified possible archival sources of data using Internet searches. These included data from academic journal teams, political teams, and a wide range of miscellaneous teams that do not fit into a single category (e.g., pub trivia teams, video game teams, firefighter teams). In addition, we relied on sports teams because data collected over decades provide an excellent source of many different measures of team performance (Day et al. 2012). We gathered data from a wide variety of sports teams that represent different contexts and types of competitions to enhance generalizability (Day et al. 2012). Additionally, we intentionally used more than one type of performance indicator when available (e.g., winning percentages, goal differentials). Also, in some cases we gathered data focusing on a more specific measure of team performance (e.g., National Football League touchdowns). However, we also included indicators of overall team performance as well (e.g., winning percentage). In sum, the samples and variables we chose to study are varied, cover multiple dimensions of team performance, and reflect a wide range of team types which allows for a better understanding of a potentially generalized phenomenon.

To further enhance generalizability, we also collected data from more traditional work environments by reviewing articles published in the last three years. Our goal was not to engage in a comprehensive data collection effort; rather, our purpose was to gather some additional evidence regarding the generalizability and robustness of the results. We focused on three journals that publish team-related research (i.e., *Journal of Management*, *Journal of Applied Psychology*, and *Academy of Management Journal*). Moreover, we focused on studies measuring team performance using objective measures of team output. We identified 12 articles that could serve as additional data sources and contacted the authors to gather data on the performance score and sample size for each team used in their studies with the guarantee that we would not use the data for any other purpose or share them with anyone else. These efforts led to data sets from five research teams from multiple projects.

Overall, we collected performance data on a total of 274 performance distributions including 200,825 teams and more than 500,000 workers. Table 1 provides a detailed description of the sources and data we used. This table is organized into groups and provides a description of the context of the various teams including sports teams, academic journal teams, politics teams, and miscellaneous teams (e.g., firefighter teams, information technology (IT) virtual teams, customer service teams). Additionally, the samples chosen represent variability regarding procedures used to collect the data (i.e., not just convenience samples). For example, data were sampled mostly randomly for general organizational teams by Rego et al. (2019) and Van Bunderen et al. (2018); sales teams by Ahearne et al. (2010); virtual supply chain teams by Maynard et al. (2012); IT virtual teams by Maynard et al. (2019); IT development teams by Rapp and Mathieu (2019); and customer service teams by Mathieu et al. (2006) and Rapp et al. (2016). Small sample size is unlikely to serve as a competing explanation for observed deviations from normality because only 3 of the 274 distributions have a sample size lower than 30. In the interest of full transparency and replicability, we make all our data files available upon request (except for those that were shared with us by authors of published articles).

### Structural Characteristics of Teams

Given our focus on the distribution level of analysis, rather than individually investigating each of the 200,825 teams in our sample, we were interested in defining the structural characteristics that define each type of team based on the context in which they operate. As such, we followed the procedure outlined in the Team Descriptive Index Short Form (Lee et al. 2015) with minor changes to indicate our focus on the context. We created a
Table 1. Team Type, Number of Distributions, Average Number of Teams per Distribution (n), and Performance Measures

<table>
<thead>
<tr>
<th>Team type</th>
<th>Number of distributions</th>
<th>n</th>
<th>Performance measure</th>
<th>Description of performance measure</th>
</tr>
</thead>
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<tr>
<td><strong>Sports</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Soccer teams</td>
<td>5</td>
<td>94</td>
<td>Tournament participation</td>
<td>Number of times teams qualified to play in major tournaments</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>77</td>
<td>Average goals scored</td>
<td>Average number of goals scored per game over a tournament</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>130</td>
<td>Goal differential</td>
<td>Number of goals scored for – number of goals scored against</td>
</tr>
<tr>
<td>NCAAF football teams</td>
<td>5</td>
<td>120</td>
<td>Rushing TDs</td>
<td>Number of touchdowns scored on runs over a season</td>
</tr>
<tr>
<td></td>
<td>5</td>
<td>120</td>
<td>Passing TDs</td>
<td>Number of touchdowns scored on passes over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>119</td>
<td>Total Offense</td>
<td>Average number of yards gained per game over a season</td>
</tr>
<tr>
<td>NHL teams</td>
<td>5</td>
<td>30</td>
<td>Goals scored</td>
<td>Number of scored goals over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Goals per game</td>
<td>Average number of goals scored per game over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Goals for/against ratio</td>
<td>Number of goals scored for – number of goals scored against</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Team wins</td>
<td>Number of wins achieved over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Power play percentage</td>
<td>Number of power play goals/total number of power plays</td>
</tr>
<tr>
<td>MLB teams</td>
<td>2</td>
<td>30</td>
<td>Home runs</td>
<td>Number of homeruns a team makes over a season</td>
</tr>
<tr>
<td></td>
<td>2</td>
<td>30</td>
<td>RBIs</td>
<td>Number of runs-batted-in over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Team slugging percentage</td>
<td>(Total number of bases reached/total number of at bats) over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Double plays</td>
<td>Number of defensive plays of two puts outs over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Team batting average</td>
<td>(Total number of hits/total number of at bats) over a season</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>30</td>
<td>Defensive efficiency ratio</td>
<td>Rate at which balls put into play are converted into outs by a defense</td>
</tr>
<tr>
<td>ATP doubles tennis teams</td>
<td>1</td>
<td>178</td>
<td>Total points</td>
<td>Total points gained through advancing in competitions</td>
</tr>
<tr>
<td>Ragnar relay teams</td>
<td>18</td>
<td>312</td>
<td>Race time</td>
<td>Total time to complete 200-mile race</td>
</tr>
<tr>
<td>ProCycling teams</td>
<td>3</td>
<td>18</td>
<td>World Tour stage wins</td>
<td>Number of stage wins over a season</td>
</tr>
<tr>
<td>NCAAF bowling teams</td>
<td>1</td>
<td>140</td>
<td>Team pin totals</td>
<td>Number of pins knocked down over a season</td>
</tr>
<tr>
<td>Journals</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Journal editorial teams</td>
<td>2</td>
<td>378</td>
<td>SAGE impact factor</td>
<td>(Number of citations/number of articles published) over two years</td>
</tr>
<tr>
<td></td>
<td>27</td>
<td>1,676</td>
<td>Scimago journal rank</td>
<td>Average number of weighted citations received in a given year by articles published over previous three years</td>
</tr>
<tr>
<td></td>
<td>27</td>
<td>1,676</td>
<td>Scimago H index</td>
<td>Number of articles (h) that have received at least h citations</td>
</tr>
<tr>
<td></td>
<td>27</td>
<td>1,676</td>
<td>Scimago citations/document</td>
<td>Average number of citations per document in the journal</td>
</tr>
<tr>
<td><strong>Politics</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>State campaign teams</td>
<td>51</td>
<td>27</td>
<td>Campaign donations</td>
<td>Total dollars donated over the course of a campaign</td>
</tr>
<tr>
<td>U.S. Congress</td>
<td>2</td>
<td>22</td>
<td>Reported bills %</td>
<td>Number of bills passed/total bills introduced in committees</td>
</tr>
<tr>
<td><strong>Miscellaneous</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Pub trivia teams</td>
<td>29</td>
<td>1,590</td>
<td>Team points</td>
<td>Total points scored in a single night of trivia</td>
</tr>
<tr>
<td>Auto engineering teams</td>
<td>2</td>
<td>113</td>
<td>Competition score</td>
<td>Total team points gained in auto building competition</td>
</tr>
<tr>
<td>Bridge engineering teams</td>
<td>4</td>
<td>46</td>
<td>Competition score</td>
<td>Total team points gained in bridge building competition</td>
</tr>
<tr>
<td>Video game teams</td>
<td>4</td>
<td>269</td>
<td>Team points</td>
<td>Total team points gained through competitions</td>
</tr>
<tr>
<td>Firefighter teams</td>
<td>10</td>
<td>214</td>
<td>Race times</td>
<td>Total time to complete firefighter skills course</td>
</tr>
<tr>
<td></td>
<td>3</td>
<td>103</td>
<td>Turnout time</td>
<td>Total time to leave the station after receiving a call</td>
</tr>
<tr>
<td></td>
<td>3</td>
<td>103</td>
<td>Travel time</td>
<td>Total time to travel from the station to the site of an emergency</td>
</tr>
<tr>
<td>Movie production teams</td>
<td>6</td>
<td>100</td>
<td>Gross earnings ($)</td>
<td>Total dollars earned for the length of a movie in theaters</td>
</tr>
<tr>
<td>Indiegogo teams</td>
<td>1</td>
<td>266</td>
<td>Total donations</td>
<td>Total money pledged for Indiegogo campaign</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>266</td>
<td>Percentage of goal met</td>
<td>Percent of goal met for Indiegogo campaign</td>
</tr>
</tbody>
</table>
We used a coding protocol that included definitions and examples for each of the three characteristics in Hypotheses 1–3 and Research Question 5. Three graduate student coders with training on team theory were presented with the following task: “Within each of the occupations listed below there is considerable variance regarding each of the three dimensions. What we ask you to do is to capture what a typical team in each occupation experiences in terms of authority differentiation, temporal stability, and skill differentiation. Rate each sample on these three dimensions on a Likert scale ranging from ‘1’ (very low on this dimension) to ‘5’ (very high on this dimension). Again, as you go through the coding, try to picture what a typical team looks like before assigning a code to each sample.” The three coders had significant personal experience working with a wide range of teams (e.g., military teams, sports teams, student teams).

Coders were then instructed to rate each of the 274 distributions on each of the three characteristics. They first independently coded a subsample of the teams to check for agreement. Intraclass correlation (ICC(2)) levels were acceptable for authority differentiation (0.73) and skill differentiation (0.75), with a lower value for temporal stability (0.65) (LeBreton and Senter 2008). After receiving additional training, coders then continued with the full sample of teams. Results of this second round of coding showed acceptable ICC(2) for authority differentiation (0.84), temporal stability (0.74), and skill differentiation (0.81). These ICC levels are adequate for the purpose of this project as shown by the statistically significant results we observed (i.e., results are unlikely to be statistically significant in the presence of substantial measurement error). We used averages of the three raters for each characteristic in the analyses. Table S1 in the online appendix shows the scores for authority differentiation, temporal stability, and skill differentiation for each of the sample types.

**Criterion Used in Hypothesis Testing: Performance Variability and Proportion of Star Teams in a Distribution.** We used parameters from the power law with exponential cutoff (PLC) distribution to assess performance variability and the proportion of star teams in a distribution for testing Hypotheses 1–3 and answering...
Research Question 5. Specifically, a set of values follows a PLC distribution if it fits the following probability distribution (Joo et al. 2017):  

\[ p(x) = x^{-\alpha} \exp(-\lambda x), \]  

(1)

where Euler’s number \( e \approx 2.718 \), and alpha (\( \alpha \)) and lambda (\( \lambda \)) are parameters indicating the rate of decay that dictate the proportion of star teams. Although both \( \alpha \) and \( \lambda \) affect the distribution shape, \( \lambda \) is the stronger parameter and has a more dominant impact on the overall proportion of star teams (Joo et al. 2017). Moreover, using \( \alpha \) instead of \( \lambda \) would not change substantive conclusions because \( \alpha = 1 + 1/\lambda \) (Hanel et al. 2017). Therefore, we focused on \( \lambda \) as the indicator of variability and the proportion of star teams (i.e., greater variability and proportions are associated with smaller \( \lambda \) values). Finally, the \( \lambda \) parameter was the most appropriate choice given that, as we describe later, PLC was overwhelmingly dominant (i.e., 73% of nonnormal distributions). Moreover, \( \lambda \) also is a parameter used in the equation describing exponential distributions (see equation in Figure 1). Combining PLC and exponential distributions shows that 84% of the nonnormal distributions are accurately described by this particular parameter. Moreover, \( \lambda \) also captures the rate of decay in other types of distributions because exponents of power laws can also be estimated from frequency distributions (Hanel et al. 2017).

**Data Analysis Distribution Pitting Methodology.** We used a novel methodological approach in team research called distribution pitting to answer Research Questions 1–4 (Joo et al. 2017). Distribution pitting compares observed distributions to each of the seven theoretical distributions shown in Figure 1 and computes fit indices for each. Then, using a falsification approach, it compares each distribution’s fit index to the other distributions’ fit indices (e.g., normal versus pure power law, normal versus exponential) to identify the best fitting distribution. Therefore, if in any of these comparisons a distribution is found to be a worse fitting distribution, it is ruled out as the dominant one. This methodology has proven to be accurate in the past (Joo et al. 2017) and allows for distribution-level analyses. Additionally, distribution pitting allows us to identify the proportion of star teams in each distribution. For each sample we made 21 pairwise comparisons of distribution fit: \( 7!/(2!\times 7-2)! \). Following the same procedures as Joo et al. (2017), we implemented three decision rules for identifying the best fitting distribution for each of the 274 distributions. First, for each of the 274 distributions, we compared loglikelihood ratios with their associated \( p \) values for each of the 21 comparisons using a cutoff of 0.10 as a conservative cutoff score (Clauset et al. 2009). Second, we used the principle of parsimony to further eliminate distributions with the greater number of parameters when there were two nested distributions remaining (e.g., power law and PLC). Third, many of the distributions are “flexible” in that they approximate other distributions when using certain parameter values.

Therefore, we again used the principle of parsimony and opted for the distribution with fewer possible distribution shapes (e.g., the inflexible distributions). In the case of nested distributions, the one with the largest number of parameters always fits at least as well as the distribution with fewer parameters (Virkar and Clauset 2014). However, this increased precision of fit comes at the cost of lower external generalizability (Joo et al. 2017). Accordingly, the second decision rule errrs on the side generalizability and relies on the more parsimonious distribution. We conducted analyses with the Dpit package in R.

**Hypothesis Testing.** We conducted analyses involving relations between the three predictors (i.e., authority differentiation, temporal stability, and skill differentiation) and the \( \lambda \) values (indicating team performance variability and the proportion of star teams). Although Pearson’s \( r \) is the most frequently used correlational measure, results can be biased when variables are not normally distributed (de Winter et al. 2016). We performed distribution pitting analysis on the distribution of \( \lambda \) parameters and found that the PLC distribution was the best fitting one. Accordingly, given the nonnormal nature of the \( \lambda \) distribution, we used Spearman correlations (\( r_s \)) instead of Pearson’s \( r \) to test our hypotheses.

**Results**

Table 2 provides a summary of results regarding the number of times each distribution was identified as the dominant one after implementing each of the three decision rules. In the interest of full transparency and replicability, the online appendix includes the following additional and more detailed tables: Table S2 shows the dominant distribution after implementing each of the three decision rules sequentially for each of the distributions, Table S3 offers detailed distribution pitting results for four illustrative samples (i.e., the first four listed in Table S2), and Table S4 shows a detailed summary of results based on the broad categories of teams: sports, academic journals, politics, and miscellaneous.

**Research Question 1: Overall Nature of the Team Performance Distribution.** As shown in Table 2, after implementing all three decision rules, only 11% (30 of 274) were best described by a normal distribution. In contrast, 63% (172 of 274) were best described by one
showed a clear dominance of nonnormality: Even based on a very conservative 50-50 test, results the distributions are expected to follow normality. Hence, a more realistic test would be close to 100% of given that most team research assumes normality, and hence, a more realistic test would be close to 100% of the distributions are expected to follow normality. Even based on a very conservative 50-50 test, results showed a clear dominance of nonnormality: $\chi^2(1, n = 274) = 50.82, p = 1.014 \times 10^{-12}$. The PLC accounted for 73% (126 of 172) of the heavy-tailed distributions. Table 2 further breaks down the heavy-tailed distributions to give a more detailed count of each of the seven distributions summarized in Figure 1. Overall, results provided evidence about the relative rarity of normal distributions and the dominance of nonnormality, particularly the PLC distribution. To offer a visual representation of our results, Figure 2 includes examples of four observed distributions (i.e., PLC, lognormal, and exponential) overlaid with a normal distribution. In addition, because journal editorial teams contributed 30% of the distributions, we conducted a sub-grouping analysis comparing them to the other samples. Results shown in Table S4 in the online appendix demonstrate that nonnormal distributions are dominant regardless of the context in which teams operate. Specifically, for journal editorial teams, 95% (79 of 83 distributions) followed a heavy-tailed distribution. Similarly, 98% of political teams followed a heavy-tailed distribution (52 of 53 teams).

Despite the dominance of nonnormality, we were intrigued by the few distributions for which normality was the dominant one. As shown in Table S4 in the online appendix, of the 30 distributions that classified as normal, 28 are from the miscellaneous team category. Moreover, of these 28 distributions, 25 came from the same pub trivia team category indicating that factors unique to this specific and particular context are driving the dominance of the normal distribution.

### Research Question 2: Tournament vs. Nontournament Contexts as a Boundary Condition.

Table S5 in the online appendix shows that teams in a tournament setting included all of the sports samples, most political samples, and several samples from the miscellaneous category (e.g., pub trivia teams). Teams included in the nontournament subgroup included the journal editorial board samples and several of the miscellaneous samples (e.g., IT professionals). For the tournament subgroup, the normal distribution accounted for only 19% of the distributions (30 of 158). Of the 75 nonnormal distributions, the PLC was dominant in 83% (i.e., 62 of 75). For the nontournament subgroup, the normal distribution accounted for 0% of the distributions (0 of 116). Of the 97 nonnormal distributions, the PLC distribution accounted for the majority of distributions with 66% (64 of 97). Therefore, regardless of tournament context, the normal distribution is not the best descriptor of team performance distributions.

### Research Question 3: Team Performance Conceptualization and Operationalization as a Boundary Condition.

Of the 274 distributions, 208 included team level performance measures based on truly collective constructs (e.g., number of wins for a National Hockey
League team in a season), whereas 66 were based on aggregation of individual level data (e.g., number of home runs hit by a Major League Baseball (MLB) team in a season). Of the 208 distributions where performance was a team level construct, 162 (78%) were best described by a nonnormal distribution. For these 162 nonnormal distributions, the PLC was the most dominant in 120 (i.e., 74%). Therefore, results regarding the dominance of nonnormal distributions, and specifically the PLC, are not due to aggregating individual level data to the team level of analysis.

Research Question 4: Hard Left-Tail of Zero in Measuring Team Performance as a Boundary Condition. We calculated the number of distributions that included zero and found that 169 of the 274 distributions (i.e., 61.68%) did not. For example, this hard left-tail of zero did not exist for National Collegiate Athletic Association Football football teams (i.e., none of the teams had an average of zero touchdowns scored on runs over a season or touchdowns scored on passes over a season), or sales teams (i.e., none of the teams met zero percent of their sales quota). Of the 105 distributions that did contain a hard-left tail of zero, 97 (i.e., 92%) were best described by a heavy-tailed distribution and 79 (i.e., 81%) of those fit a PLC distribution. Similarly, of the 170 distributions that did not contain a hard-left of zero, 75 (i.e., 44%) were best described by a heavy-tailed distribution versus only 27 (i.e. 16%) by a normal distribution. Of the heavy-tailed distributions, 47 (i.e., 63%) were best described by a PLC distribution. Therefore, results regarding the prevalence of nonnormality are not explained by the presence of a hard left-tail of zero.

Additional Post Hoc Internal Validity Evidence: Effect of Sample Homogeneity. Although we made an effort regarding sample and performance measure diversity to enhance generalizability (i.e., external validity), we were also concerned about establishing evidence regarding internal validity. Accordingly, to examine yet another possible boundary condition for our results, we created highly homogenous subgroups by randomly selecting five years of data from MLB (total

Figure 2. Visual Representation of Four Illustrative Empirically Observed Distributions Overlaid with a Normal Distribution

Note. (a) PLC distribution, (b) lognormal distribution, (c) exponential distribution, and (d) PLC distribution.
of 20 distributions). We focused on the following performance indicators: total wins, total runs, total runs batted in, and total bases. Table S6 in the online appendix shows that 0% of the distributions are best described by normality (0 of 20). Non-Gaussian distributions were either dominant or codominant for all 20 distributions.

Hypotheses 1–3: Structural Characteristics of Teams as Predictors of Heaviness of Distributions’ Tails. Smaller values for \( \lambda \), which is the parameter describing the rate of decay that dictates the proportion of star teams, indicate more distribution variability (i.e., greater proportion of stars). Therefore, a negative correlation suggests that as the structural team characteristic increases, there is more variability. Hypothesis 1 predicted that greater authority differentiation would be negatively related to variability. Results provided support for this hypothesis: \( r_S\ (274) = -0.15, p < 0.01 \). That is, as authority differentiation increases, performance variability and the proportion of star teams in the distribution increases. As an example, heavier tails emerge in distributions of firefighter team performance where there is a clear commander in charge of decision making. Hypothesis 2 was also supported because results demonstrated a positive correlation between temporal stability and \( \lambda: r_S\ (274) = 0.66, p < 0.01 \). In other words, lower levels of temporal stability were associated with distributions with greater variability (i.e., greater proportion star teams). As an example, distributions with lighter tails emerge in National Collegiate Athletic Association (NCAA) football teams because there is generally a multiyear commitment from players to a school and stringent rules governing college athlete transfers that generate long-term commitment. Finally, the correlation between skill differentiation and the scaling parameter was not significantly different from zero: \( r_S\ (274) = -0.09, p = 0.18 \). Thus, Hypothesis 3 was not supported.

Research Question 5: Relative Importance of the Three Structural Characteristics. A comparison of Spearman correlations showed that the effect of temporal stability was more than four times as large as the effect of authority differentiation (i.e., [0.66] versus [0.15]). Therefore, temporal stability was the strongest predictor of distribution variability and the proportion of star teams.

Discussion

We examined 274 team performance distributions from a wide range of industries, occupations, and contexts. Results showed that only 11% of the samples were best described by a normal (i.e., Gaussian) distribution. In contrast, distribution pitting methodology results uncovered that 63% of the distributions were clearly nonnormally distributed, and 73% of these were best described by a power law with exponential cutoff distribution. For 26% of the distributions, results were undetermined in that there was not a single dominant distribution and some of the distributions shapes cannot be completely ruled out with certainty. An examination of possible boundary conditions showed that the dominance of nonnormality was replicated regardless of whether teams are in tournament versus nontournament contexts, whether performance was conceptualized and measured as an aggregation of individual-level performance or as a team-level construct, whether performance was measured including a hard-left of zero, and whether samples were more or less homogeneous. Regarding predictors of heaviness of distributions’ tails, results showed that authority differentiation and temporal stability are associated with distributions with greater variability (i.e., a greater proportion of star teams). A comparison of these two showed that temporal stability had the largest effect.

Implications for Existing Organization Science Theory

First, from a descriptive perspective, the empirical discovery regarding the overall nonnormal nature of the team performance distribution provides a more accurate description of reality. To use a metaphor that an anonymous reviewer shared with us, our results show that “the world is round, not flat.” Specifically, there is a much greater difference in performance levels across teams than assumed based on the normal distribution. Consider predictions of extreme scores based on how many teams would be found three standard deviations (SDs) to the right of the mean using our team performance distributions. For the distribution of engineering journal editorial teams, whereas a normal distribution would only predict 7 of the 5,539 teams to achieve a cutoff distribution. For 26% of the distributions, results uncovered that 63% of the distributions were clearly nonnormally distributed, and 73% of these were best described by a power law with exponential cutoff distribution. For 26% of the distributions, results were undetermined in that there was not a single dominant distribution and some of the distributions shapes cannot be completely ruled out with certainty. An examination of possible boundary conditions showed that the dominance of nonnormality was replicated regardless of whether teams are in tournament versus nontournament contexts, whether performance was conceptualized and measured as an aggregation of individual-level performance or as a team-level construct, whether performance was measured including a hard-left of zero, and whether samples were more or less homogeneous. Regarding predictors of heaviness of distributions’ tails, results showed that authority differentiation and temporal stability are associated with distributions with greater variability (i.e., a greater proportion of star teams). A comparison of these two showed that temporal stability had the largest effect.
thick tails and there are situations where team capabilities may not be the major driver in the emergence of these stars (e.g., luck, unintentional performance; Vancouver et al. 2016). However, the presence of heavier tails than previously believed provides a strong empirical basis for investigating teams that appear to have found a “winning formula.” In fact, research on teams typically does not investigate stars (i.e., “outliers”). Instead, it asks questions such as (Mathieu et al. 2019): What are the factors that explain variance in team performance (i.e., why do some teams perform better than others, distinguishing between low and high performing teams)? However, given the finding that team performance is not normally distributed, team theories should also address questions such as: What are the antecedents leading to the emergence of star teams and how are these outlying teams, which are more common than previously assumed, qualitatively different from others?

Second, it is ironic that, although many contemporary team theories actually predict the heavy-tailed nature of team performance (e.g., performance spirals, team composition, team learning, punctuated equilibrium), team researchers do not seem to acknowledge these theories. Otherwise, contemporary team research would not use procedures and methods that assume normality or transform nonnormality away. This is a substantive rather than a trivial methodological detail because simulation studies show that by relying on the assumption of normality when data are actually heavy-tailed introduces a large amount of bias—and the amount of bias increases with greater deviations from normality (de Winter et al. 2016). As an illustration of the meaning of our results for team theory, consider a recently published meta-analysis that investigated the relationship between transactive memory systems and team performance and reported \( r^2 = 0.152 \). Our results showed that 63% of distributions are heavy-tailed. Based on large-scale Monte Carlo simulation results, consider a conservative amount of bias of 24% due to nonnormality (de Winter et al. 2016). If 63% of the samples in this published meta-analysis are nonnormal, the resulting meta-analytic \( r^2 \) would be 0.108 instead of 0.152. We derive two notable implications from re-examining this published meta-analysis in light of our results. First, the coefficient of determination now likely falls outside of the 90% confidence interval, meaning that we can no longer conclude with confidence that there is a nonzero relation between transactive memory systems and team performance. Second, the corrected coefficient of determination means that only 11% of variance in performance is explained by transactive memory systems, in contrast with the original conclusion that 15% of variance is explained. This represents a decrease in 26.66% in the size of the effect. We emphasize again that this is a conservative corrected estimate and the difference in effect sizes would increase with increased nonnormality (i.e., increase in the thickness of the tail). Therefore, by scrutinizing past empirical research based on whether the normality assumption may have been tenable, it is likely that many past substantive conclusions may need to be revised and updated.

### Additional Implications for Future Research Directions

Although our study focused on the distribution level of analysis, our results have implications for future research addressing the distribution as well as the team level of analysis. An especially salient implication for theory and opportunity for future research lies in the variability that exists in distribution shapes even when teams are ostensibly created for similar purposes. For instance, consider journal editorial teams. Although editorial teams may all have a similar goal (i.e., publish high-quality articles), different generative mechanisms are present depending on constraints that exist due to different disciplines and fields of study. For example, open-access publishing has recently become more common across all domains of scholarly research; however, it is more common among the sciences, and science, technology, engineering, and math (STEM) in particular, compared with the humanities and social sciences (Gross and Ryan 2015). With access to a larger number of journals for publishing, incremental differentiation may be a driving mechanism as journals that are able to maintain a higher performance trajectory will generate heavy-tailed performance distributions. Similarly, fields that generally publish papers that require resource-intensive studies as the norm (e.g., biomedical clinical trials; de la Torre Hernández and Edelman 2017) especially emphasize the initial level of performance of a journal (e.g., higher impact factor, higher h-index) due to the massive amounts of resources required to conduct a study. Because of this, we may see proportionate differentiation as the driving mechanism. Having a clearer understanding of the generative mechanism present in these situations can lead to better theory aimed at improving our understanding of the conditions that drive the emergence of different distribution shapes.

Additionally, given the prevalence of the generative mechanism of incremental differentiation in the observed performance distributions, team theory can begin to incorporate these findings into future conceptualizations. Because team performance trajectories appear to impact the team performance distribution shape, there is a need to incorporate these trajectories in understanding team performance. For instance, consider research on group pride (Beal et al. 2003). Our results showed that star teams are more abundant than previously thought and belonging to these teams likely has an impact on feelings of pride toward
the team. Currently, theory on status differences of groups is not clearly defined in the team literature (Driskell et al. 2018), and group pride has received significantly less attention than other aspects of cohesion (Beal et al. 2003). However, our findings can provide a direct link from the experience of group pride to the ability a team has to maintain high performance trajectories. Also, theory on multiteam systems (MTSs) (De Vries et al. 2016) could be updated to explicitly consider these generative mechanisms as well. Specifically, MTSs can be characterized along a number of dimensions such as competency separation (Luciano et al. 2018). In the presence of greater performance variability, systems of multiple star teams could be constructed where competency separation would be low.

On the other hand, the impact of team processes and output of teams may also be negatively impacted when competency separation is high, owing to the presence of one star team surrounded by several lower-performing teams. This is especially important given recent research in which increased team cohesion has been shown to lead to higher levels of performance (Driskell et al. 2018). In the presence of greater performance variability, systems of multiple star teams could be constructed where competency separation would be low.

Organizational team cohesion may cause a normal distribution to emerge. In an especially powerful case that provides initial empirical support for this possibility, almost all our pub trivia performance samples were best described by a normal distribution. In this context, a hard ceiling (i.e., maximum possible point total) limits the range of performance scores, likely resulting in distributions approaching normality and fewer star teams.

Sixth, although a focus on the heavy tail is warranted given our results, another important consideration is what is occurring at the left side of the performance distribution where teams are extremely underperforming compared with the star teams. With heavy-tailed distributions, there is often a large cluster of these teams that would fall below the average level of performance, as shown by the classic study by Schachter et al. (1951), in which increased team cohesiveness surprisingly led to both higher and lower performing teams. Thus, there is a need to account for those underperforming teams.

Seventh, our focus was on the distributions of teams (i.e., distribution level of analysis) and not on individual teams (i.e., team level of analysis). Future research
focusing on the team level of analysis could investigate possible dynamics leading to the exceptional performance of specific teams. For example, there is a current debate on the ideal proportion of individual stars leading to team stardom (Swaab et al. 2014, Gula et al. 2021).

Eighth, some nonintuitive findings also provide an opportunity to pursue further research. Specifically, the greater proportion of nonnormal distributions in the nontournament environments than in the competitive environments demonstrates a need to investigate further the importance of competition in determining the shape of the performance distribution. Something that seems to be consistent across all competitive contexts is the resource constraints that do not necessarily exist in noncompetitive environments. In competitive environments it can be very difficult to “expand the pie” in terms of outputs (e.g., competitions do not allow for all teams to be winners as there will always be losers). In contrast, noncompetitive environments are not generally constrained in the same way as there are ways for teams to not only take a bigger piece of the pie but also to expand the size of the pie for all those involved as well, leading to a larger proportion of star teams. In addition, our results may be something of an anomaly given that most tournament contexts that were normally distributed were specifically from the pub trivia teams. It is possible that the much higher proportion of nonnormal distributions in the nontournament distributions exists because of something that is unique only to those trivia competition environments that other team competitions do not have.

Finally, our findings are consistent with results at the individual level of analysis that showed that individual performance follows a PLC distribution (Joo et al. 2017). An important implication of this result is that there seems to be a generalized and isomorphic phenomenon of nonnormality emergence at multiple levels of analysis that provides opportunities for future multilevel theory development (Morgeson and Hofmann 1999). Therefore, although team-level outcomes are often the result of more than just an aggregation of their individual members (Woolley et al. 2010), our findings replicated across these two types of performance operationalization. An important goal for the field of organization science, as in all scientific fields, is to produce strong, generalizable theories (Pfeffer et al. 1977, Boyd et al. 2005). Our results contribute toward this goal in that they provide evidence for the ubiquity of heavy-tails with their associated generative mechanisms in performance distributions at the team level of analysis. Future research could examine potential isomorphism at additional lower (e.g., within-individual performance) and higher levels (e.g., organizational units larger than teams such as industries).

Methodological Implications
The dominant and widely used organization science data analytic procedures rely on GLM and do not adequately capture the true nature of relations in the presence of heavy-tailed distributions. For example, a regression coefficient with a value of 2.5 means that there is a 2.5 increase in team performance given a one-point increase in the antecedent; however, this is on average—a crucial clarification that is usually left out when results are reported (Cohen et al. 2003). In the presence of heavy-tailed distributions, as a measure of central tendency, the average cannot be interpreted in isolation because it is disproportionally influenced by outliers. In fact, models that assume normality treat the first and second moments—the mean and the variance—as key statistics in testing theory (O’Boyle and Aguinis 2012). However, because the mean is a measure of central tendency, it is only informative when it provides a description of a typical data point. In the presence of heavy-tailed distributions and many star teams, the average is moved to the right and no longer captures what could be considered a “typical” team (Buzsáki and Mizuseki 2014). Likewise, due to their extremely high level of heterogeneity, heavy-tailed distributions can have pseudo-infinite variance, making the variance (and SD) estimate unstable and therefore not useful as a descriptive or inferential statistic (Li and Zhao 2012). Accordingly, using the mean and SD in computing parameter estimates (e.g., correlations, regression coefficients), test statistics (e.g., F, t), and associated p values, as is done in all data analytic procedures that assume normality of residuals (e.g., multiple regression, analysis of variance, structural equation modeling, multilevel modeling), can lead to biased results (Jones et al. 2016). Overall, assuming normality implicitly or explicitly means that team research assumes little variability across teams, which may not be a good representation of the actual (nonnormal) distribution. Although the central limit theorem takes care of producing normally distributed sampling distributions even if the raw score distributions are not normal, effect-size estimates computed using the mean and variance (e.g., regression coefficients, correlation coefficients, ds) are biased (Cohen et al. 2003), further highlighting the importance of understanding the underlying distribution shape.

Accordingly, based on our results, authors and journal reviewers should not leave the normality assumption unchecked. First, distribution pitting, which can be implemented using the Dpit package for R available on CRAN, provides a procedure for testing whether a distribution is actually normal or better described by a heavy-tail. Just like we used distribution pitting results to decide to use Spearman correlations instead of Pearson’s correlations to test our hypotheses, distribution pitting can be implemented...
proper compensation practices that re...

Because of the heavy-tailed nature of the team performance distribution, there is an important distinction between the performance of star teams and that of others. This finding suggests a need to implement proper compensation practices that reflect the very large variability in performance across teams. Creating compensation packages focused on spurring equitable, team-based pay that helps distinguish teams can help managers reward top performing teams and motivate other teams to reach higher performance levels (Garbers and Konradt 2014). This is especially true if the rewards are based on equity (Garbers and Konradt 2014), and there is transparency in the compensation plan (Aguinis and Bradley 2015). In addition, in the presence of heavy-tailed distributions, the resource allocation-performance and performance-value functions are not linear (Trevor et al. 2012, Hill et al. 2017). Accordingly, if the goal is to increase an organization’s overall performance, return on investment (ROI) will be greater when resources are allocated to star teams. Thus, the specific nature of the performance distribution also informs practices about how to allocate resources among top-performing teams because some distributions show greater levels of differentiation between teams (e.g., pure power law) than others (e.g., exponential tail).

Additionally, although our results demonstrate that star teams are more common than previously thought, it is important to also pay particular attention to teams on the other end of the distribution—those that occupy the lowest levels of performance. Managers of teams should be cognizant of teams that fall at these extreme low levels and improve their performance by providing additional training (Salas et al. 2008) or improving team motivation (Park et al. 2013), which are ways to increase the performance of these lower-performing teams. In fact, based on an organization’s strategic priorities and values, it may be beneficial to minimize the heterogeneity between teams in an attempt to enhance the performance of all teams.

Limitations
First, our data set included many sports samples, which is a potential limitation in terms of generalizability. However, sports data can be used to build and test theory in many domains (Day et al. 2012). Additionally, the sports teams used in our studies share many important characteristics with teams in more traditional work contexts (Day et al. 2012). For example, like many organization teams, sports teams perform tasks in high stress situations, are required to communicate extensively with teammates, work collaboratively to achieve a desired outcome, and compete with other teams for limited resources. Second, although much of the sports data we used reflect only part of the entire team performance construct (e.g., NCAA football yards per game reflects only the offensive performance of a sports team while ignoring defensive contributions to the team), our measures are nevertheless consistent with our definition of team performance because they capture various aspects of team output and results. Similarly, while there are

Implications for Practice
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antecedents of team performance that may impact the ultimate output a team is able to generate (e.g., luck, organizational prestige) the team performance indicators we chose closely follow our definition of team performance and capture a crucial aspect of performance for each of the samples chosen. Nevertheless, we readily acknowledge that other team performance measures warrant future consideration. For instance, consider team creative output (Somech and Drach-Zahavy 2013). Consistent with our results, Choi and Lee (2020) reported that this type of performance may also follow a heavy-tailed distribution. Third, given our research design, we did not investigate how the generative mechanisms may have effects over time. However, the shape of the team distribution is a necessary and sufficient condition to conclude which generative mechanism is responsible. Although a longitudinal design would add additional evidence, the presence of a specific distribution shape such as PLC is, in itself, enough to indicate which generative mechanism (i.e., incremental differentiation) is present given empirical evidence about the formation of distributions across numerous fields such as physics, zoology, ornithology, and geology (McKelvey and Andriani 2005, Joo et al. 2017). Finally, although incremental differentiation is dominant, this does not preclude the existence of other mechanisms that may also occur simultaneously. For example, although incremental differentiation does not rely on feedback loops to generate a heavy-tail, those feedback loops may still exert some influence over the shape of the heavy-tailed distribution (Joo et al. 2017). However, our findings suggest that the impact from those mechanisms is either short lived or not as influential as the incremental growth that leads to the emergence of PLC distributions.

Conclusions

Although many team theories imply the existence of nonnormal team performance distributions, empirical team research assumes normality implicitly by using statistical procedures that rely on the normality assumption or explicitly by transforming (i.e., squeezing) nonnormal data and giving less or no weight to very high-performing teams (e.g., by eliminating outliers). We sought to first ascertain the overall nature of the team performance distribution and critically examine theory-based boundary conditions (i.e., tournament versus nontournament environments, performance conceptualized and measured as an aggregation of individual-level performance versus team-level performance, performance measured in the presence versus absence of a hard left-tail, zero versus less homogenous samples). Then, using team learning curve as an overarching conceptual framework, we examined three theory-based predictors of the shape of the team performance distribution and the proportion of star teams: Authority differentiation, temporal stability, and skill differentiation. Results indicated that the normal distribution is not nearly as common as has been assumed in the past. Instead, nonnormal distributions, and the power law with exponential cutoff distribution in particular, emerged as the most prevalent across a wide range of samples and contexts and boundary conditions. Moreover, incremental differentiation provides the best explanation for the observed large degree of performance variability and greater proportion of star teams, and temporal stability was the strongest antecedent. These findings challenge existing assumptions regarding team performance, open up new areas for future research directions, and lead to recommendations on methodological and managerial practices.

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Endnotes

1 Although the majority of our samples contain data from the United States, Table 1 shows that we also drew several samples from non-U.S. contexts (e.g., UEFA Champions League, global virtual supply chain teams), thus providing additional diversity in the teams used in our analyses.

2 Given that the normality assumption is so pervasive, we do not find it useful to single out the authors of this meta-analysis. However, we make the source available upon request.

References


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